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# Status on $B \rightarrow D^{(*)}TV$

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Based on the following:

arXiv:1401.7947, A.Soffer

Phys. Rev. D 88(2013),094012, Tanaka, et. al.

Phys. Rev. D 87(2012),034028, Tanaka &Watanabe

Phys. Rev. D 82(2010),034027, Tanaka &Watanabe

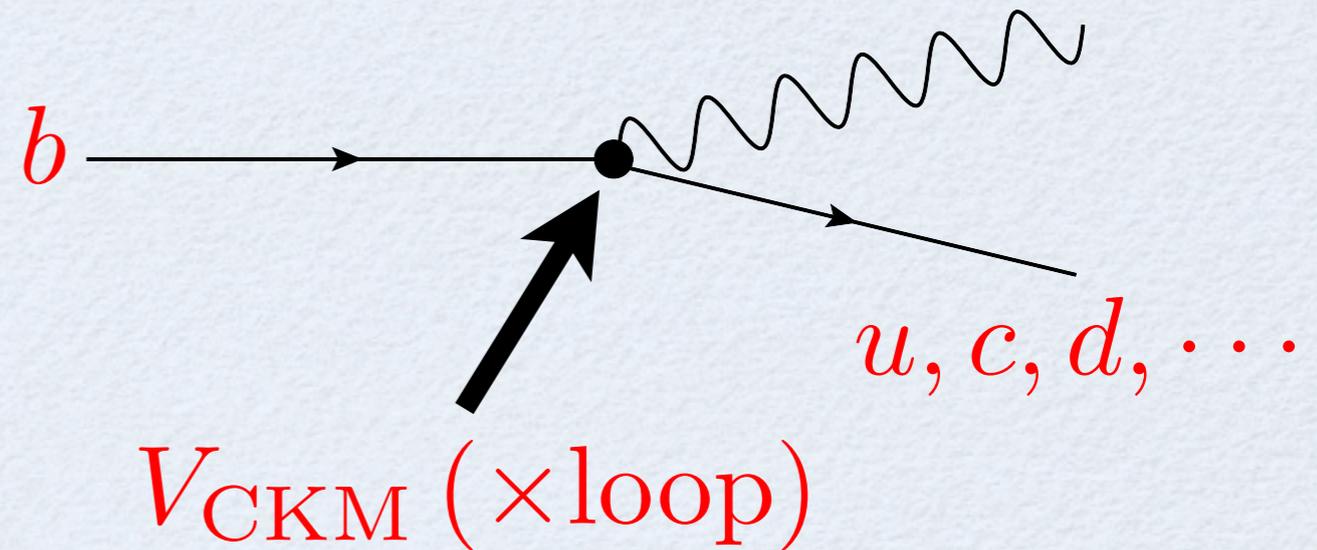
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# Prologue...

B meson decays are quite useful to investigate **the flavor structure** in the quark sector due to their various final states.

<b>B<sup>+</sup> DECAY MODES</b>	Fraction ( $\Gamma_i/\Gamma$ )	Scale factor/ Confidence level (MeV/c)	$p$
<b>Semileptonic and leptonic modes</b>			
$\ell^+ \nu_\ell$ anything	[a] ( 10.99 ± 0.28 ) %	—	—
$e^+ \nu_e X_c$	( 10.8 ± 0.4 ) %	—	—
$D \ell^+ \nu_\ell$ anything	( 9.8 ± 0.7 ) %	—	—
$\bar{D}^0 \ell^+ \nu_\ell$	[a] ( 2.26 ± 0.11 ) %	2310	—
$\bar{D}^0 \tau^+ \nu_\tau$	( 7.7 ± 2.5 ) × 10 <sup>-3</sup>	1911	—
$\bar{D}^*(2007)^0 \ell^+ \nu_\ell$	[a] ( 5.70 ± 0.19 ) %	2258	—
$\bar{D}^*(2007)^0 \tau^+ \nu_\tau$	( 2.04 ± 0.30 ) %	1839	—
$D^- \pi^+ \ell^+ \nu_\ell$	( 4.2 ± 0.5 ) × 10 <sup>-3</sup>	2306	—
$\bar{D}_0^*(2420)^0 \ell^+ \nu_\ell \times$ B( $\bar{D}_0^{*0} \rightarrow D^- \pi^+$ )	( 2.5 ± 0.5 ) × 10 <sup>-3</sup>	—	—
$\bar{D}_2^*(2460)^0 \ell^+ \nu_\ell \times$ B( $\bar{D}_2^{*0} \rightarrow D^- \pi^+$ )	( 1.53 ± 0.16 ) × 10 <sup>-3</sup>	2065	—
$D^{(*)} n \pi \ell^+ \nu_\ell (n \geq 1)$	( 1.87 ± 0.26 ) %	—	—
$D^{*-} \pi^+ \ell^+ \nu_\ell$	( 6.1 ± 0.6 ) × 10 <sup>-3</sup>	2254	—
$D_s^{*-} K^+ \ell^+ \nu_\ell$	( 6.1 ± 1.2 ) × 10 <sup>-4</sup>	2185	—
$\bar{D}_1(2420)^0 \ell^+ \nu_\ell \times$ B( $\bar{D}_1^0 \rightarrow$ $D^{*-} \pi^+$ )	( 3.03 ± 0.20 ) × 10 <sup>-3</sup>	2084	—
$\bar{D}'_1(2430)^0 \ell^+ \nu_\ell \times$ B( $\bar{D}'_1^0 \rightarrow D^{*-} \pi^+$ )	( 2.7 ± 0.6 ) × 10 <sup>-3</sup>	—	—
$\bar{D}_2^*(2460)^0 \ell^+ \nu_\ell \times$ B( $\bar{D}_2^{*0} \rightarrow D^{*-} \pi^+$ )	( 1.01 ± 0.24 ) × 10 <sup>-3</sup>	S=2.0	2065
$\pi^0 \ell^+ \nu_\ell$	( 7.78 ± 0.28 ) × 10 <sup>-5</sup>	—	2638
$\eta \ell^+ \nu_\ell$	( 3.9 ± 0.8 ) × 10 <sup>-5</sup>	S=1.3	2611

×30 final states



Belle & BABAR have measured a lot of processes, studied them, and then found the validity of large part of flavor structure in SM.

# Prologue...

Among them,  $B \rightarrow D^{(*)} \ell \bar{\nu}$  offer possibilities to study **NP effect**.

Before explaining the above, let me introduce characters:

$$\bar{B} \rightarrow D \ell \bar{\nu} \text{ and } \bar{B} \rightarrow D^* \ell \bar{\nu} \text{ for } \ell = (e, \mu, \tau)$$

#. B and D(\*) mesons:

$$\bar{B} = B^- (\bar{u}b) \text{ or } \bar{B}^0 (\bar{d}b)$$

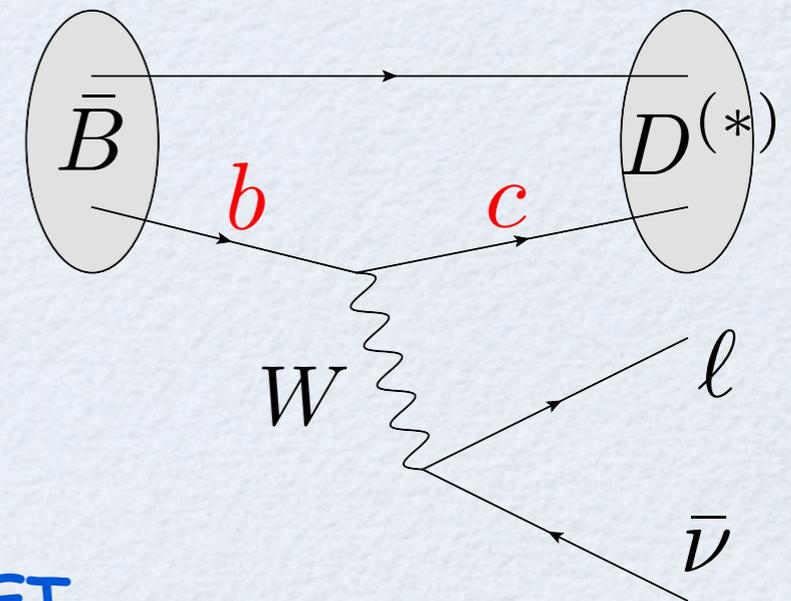
$$D^{(*)} = D^{(*)0} (\bar{u}c) \text{ or } D^{(*)+} (\bar{d}c)$$

#. D=pseudo-scalar, D\*=vector

#. Tree level process via  $V_{cb}$  in the SM

#. Large Br=O(1)%

#. Well-controlled hadronic uncertainties from **HQET**



# Prologue...

Among them,  $B \rightarrow D^{(*)} \tau \nu$  offer possibilities to study **NP effect**.

Before explaining the above, let me introduce characters:

**For**  $l = e \ \& \ \mu$

#. Very large statistics and efficiencies

#. Used to determine  $|V_{cb}|$

#. Energy distributions are good agreement with SM

**For**  $l = \tau$

#. Large uncertainties and low efficiencies

→ This is due to a difficulty to identify the tau lepton

#. 3rd generation in quark & lepton sector

→ This (&  $B \rightarrow \tau \nu$ ) is only measurable among such final states

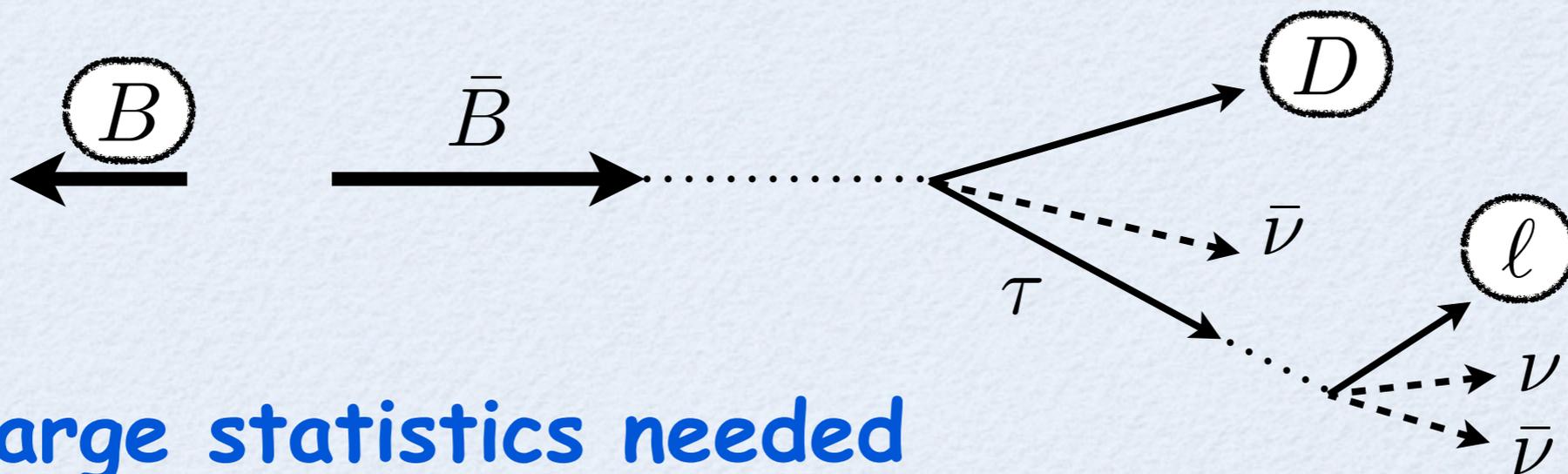
# Content

- Prologue
- Experimental aspect
  - Tau identification
  - Experimental results
- Phenomenological status
  - Effective operator analysis
  - New observables
- Theoretical status (NP models)
  - 2 Higgs doublet models
  - Leptoquark model
- Summary

# Experimental aspect

## Tau in the final state

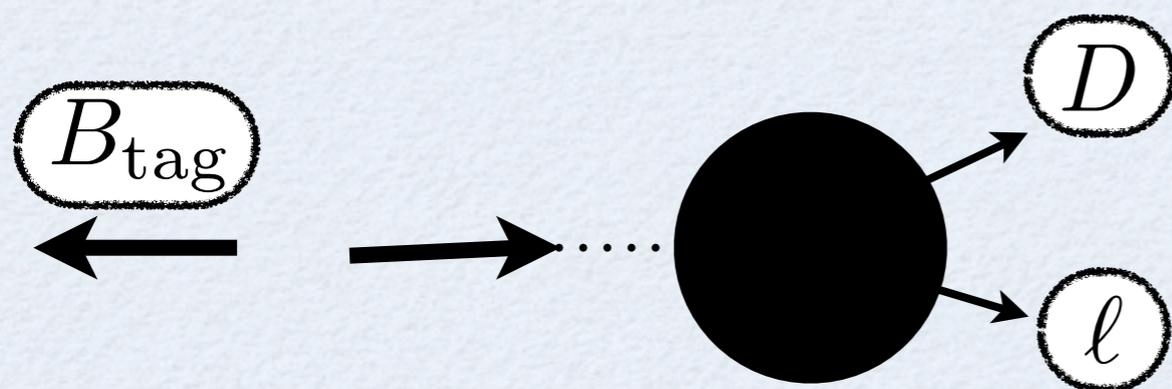
- It is challenging to measure tauonic B meson decays, because more than  $2\nu$  appear in the detector.
- At B factory, however, reconstructing the opposite B mesons we can compare the properties of the remaining particles to those expected for signal and background.



#. Large statistics needed

#. Expected signal required

# Experimental analysis @BABAR



#. Decay channel BABAR analyzed:

$$\bar{B} \rightarrow D^{(*)} (\tau \rightarrow \ell \bar{\nu} \nu) \bar{\nu}$$

#. inv. mass of missing particles:

$$m_{\text{miss}}^2 = (p_{e^+e^-} - p_{\text{tag}} - p_{D^{(*)}} - p_{\ell})^2$$

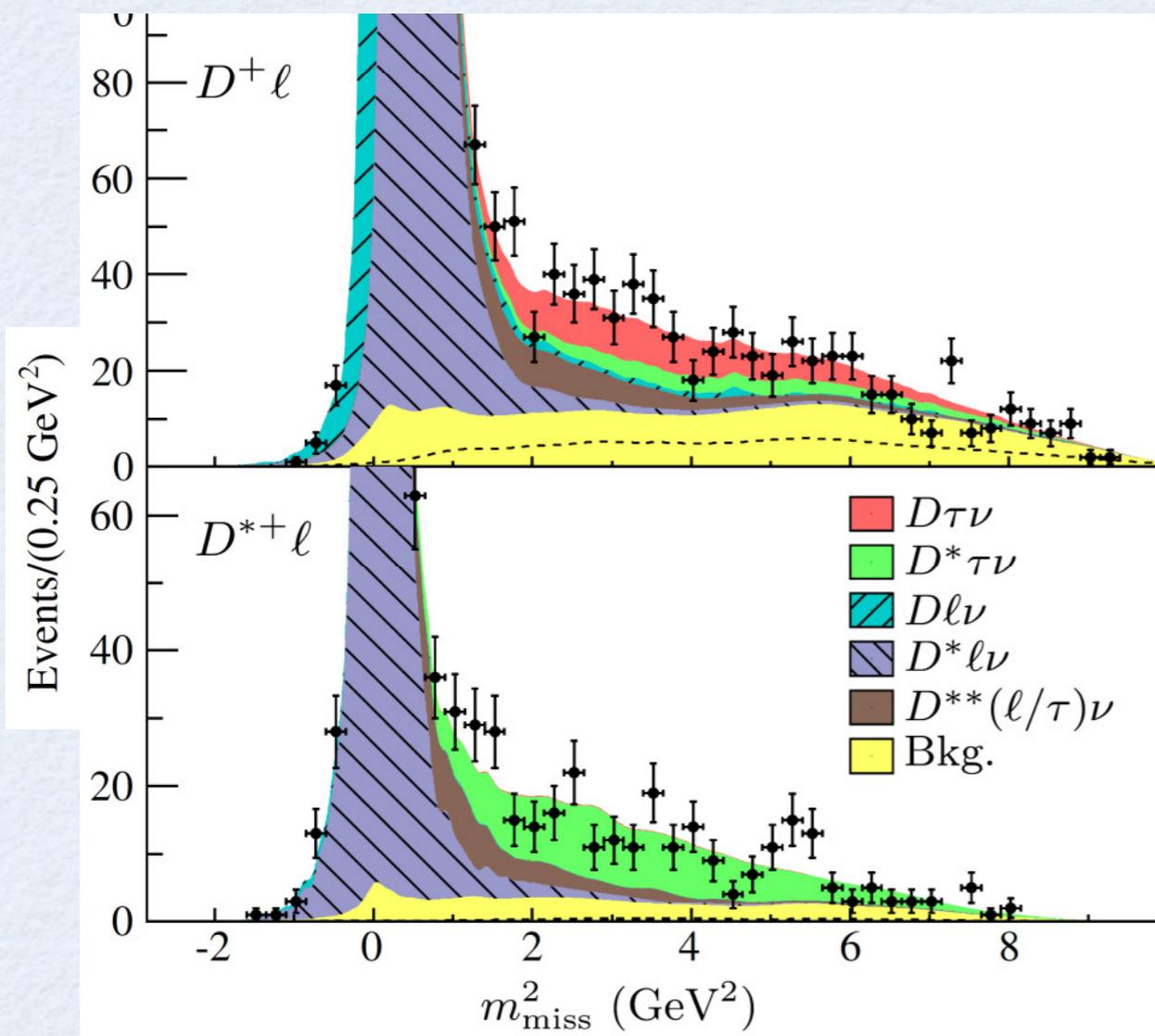
1.  $B_{\text{tag}}, D^{(*)}, \ell$  are identified

2.  $m_{\text{miss}}^2$  distribution is measured

3. Comparing total event data with expected signal & background, **signal event is extracted**

Then we get the result!

→ Next page



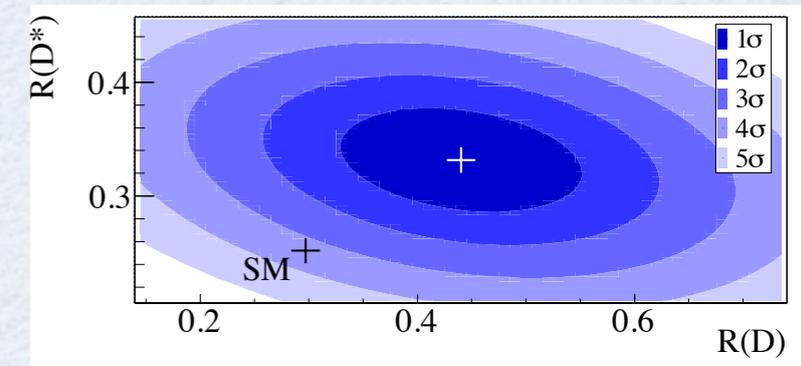
For an observable, normalized decay rate is used

$$R(D) = \frac{\Gamma(\bar{B} \rightarrow D\tau\bar{\nu})}{\Gamma(\bar{B} \rightarrow D\ell\bar{\nu})} \quad R(D^*) = \frac{\Gamma(\bar{B} \rightarrow D^*\tau\bar{\nu})}{\Gamma(\bar{B} \rightarrow D^*\ell\bar{\nu})}$$

#.  $\ell$  is a light lepton (e or  $\mu$ )

#. in order to reduce several uncertainties

	Exp. result	SM prediction
$R(D)$	$0.440 \pm 0.058 \pm 0.042$	$0.297 \pm 0.017$
$R(D^*)$	$0.332 \pm 0.024 \pm 0.018$	$0.252 \pm 0.003$

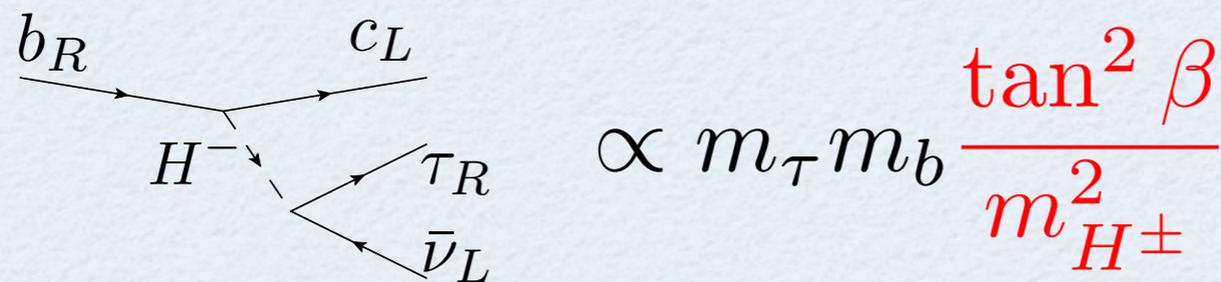


**In total, 3.4σ deviation with SM!**

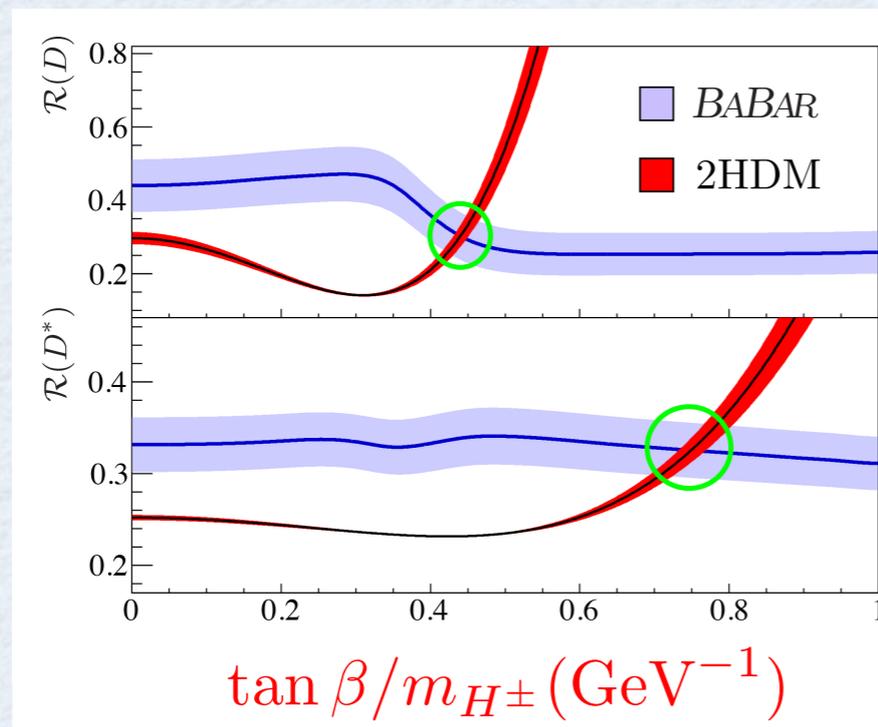
# BABAR result for 2HDM of type II

Moreover, **Type-II 2HDM is ruled out at 99.8% CL!**

#. Charged Higgs can contribute to the processes



#. However, it cannot explain the results **at the same time**



**Note:**

As explained, we must expect the signal event, to extract from the total event including the background event.

Thus, **this result depends on the model parameters.**

## Belle...

- Belle result was reported, but it is not fully completed...  
We are now waiting for the upgrade.

## Super KEKB

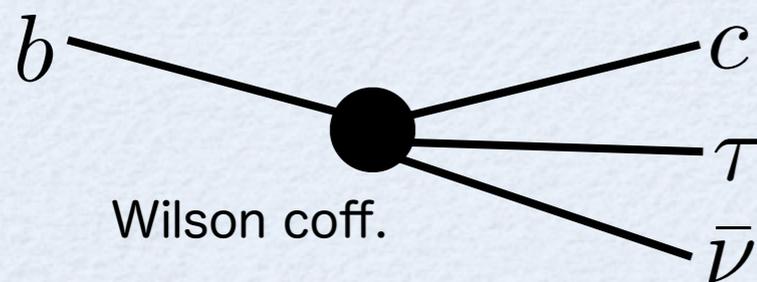
- Tauonic B meson decay is one of the golden modes in future super B factory, due to its large statistics.
- Large statistics enable us to measure not only total rate, but also some **distributions & polarizations**

→ **will be explained later**

# Phenomenological status

## Model independent analysis

M.Tanaka & RW (2012)



$$-\mathcal{L}_{\text{eff}} = 2\sqrt{2}G_F V_{cb} \left[ (1 + C_{V_1})\mathcal{O}_{V_1} + C_{V_2}\mathcal{O}_{V_2} + C_{S_1}\mathcal{O}_{S_1} + C_{S_2}\mathcal{O}_{S_2} + C_T\mathcal{O}_T \right]$$

## Effective operators:

**Vector1:**  $\mathcal{O}_{V_1} = \bar{c}_L \gamma^\mu b_L \bar{\tau}_L \gamma_\mu \nu_L$

**Scalar1:**  $\mathcal{O}_{S_1} = \bar{c}_L b_R \bar{\tau}_R \nu_L$

**Vector2:**  $\mathcal{O}_{V_2} = \bar{c}_R \gamma^\mu b_R \bar{\tau}_L \gamma_\mu \nu_L$

**Scalar2:**  $\mathcal{O}_{S_2} = \bar{c}_R b_L \bar{\tau}_R \nu_L$

**Tensor:**  $\mathcal{O}_T = \bar{c}_R \sigma^{\mu\nu} b_L \bar{\tau}_R \sigma_{\mu\nu} \nu_L$

## Wilson coefficients:

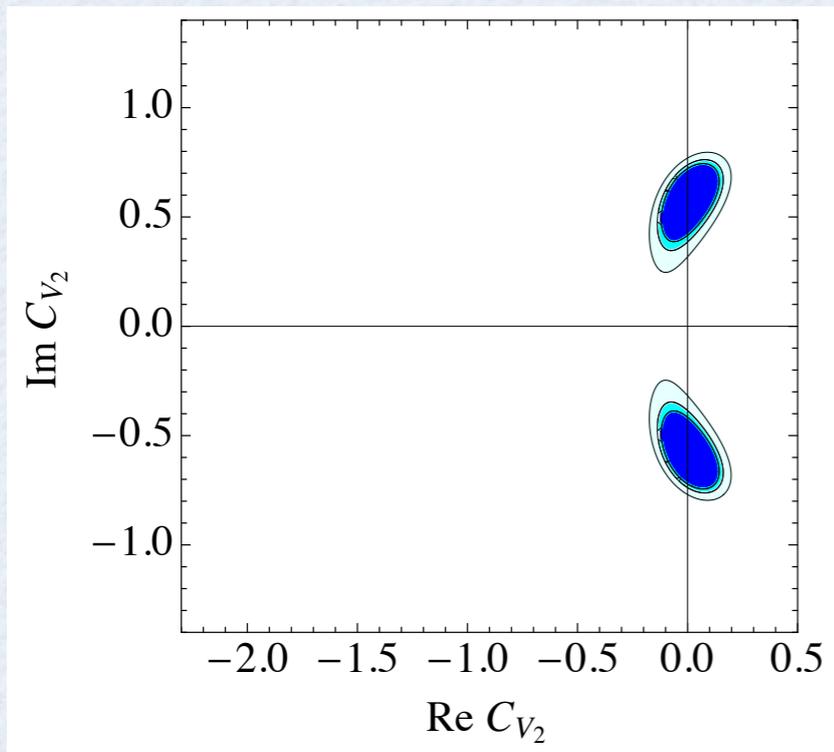
#. **Cx** represent "New Physics" contribution. In SM, all **Cx=0**.

#. No right-handed neutrino.

#. We assume **one operator dominance**. ex)  $C_{S_2} \neq 0$ , others = 0

# Bound on NP from R(D)&R(D\*)

Allowed region of  $C_{V_2}$  with  $C_{x \neq V_2} = 0$  :



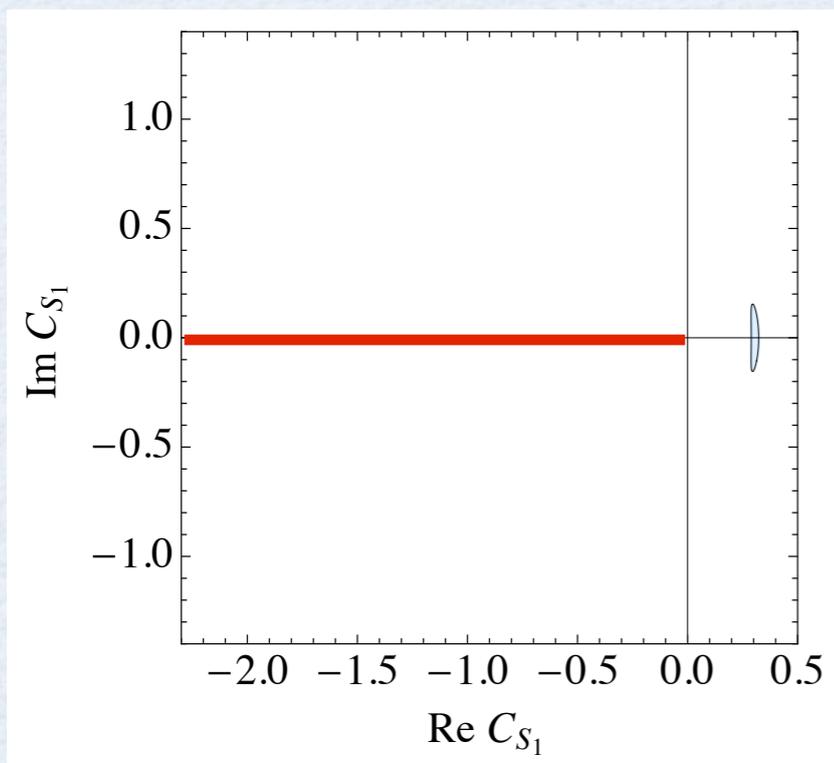
#. Colored region is allowed

90%(Light blue), 95%(Cyan), 99%(Dark blue)

#. Im is preferred

Best fit value:  $C_{V_2} \sim 0.64 i$

Allowed region of  $C_{S_1}$  with  $C_{x \neq S_1} = 0$  :



#. Almost excluded

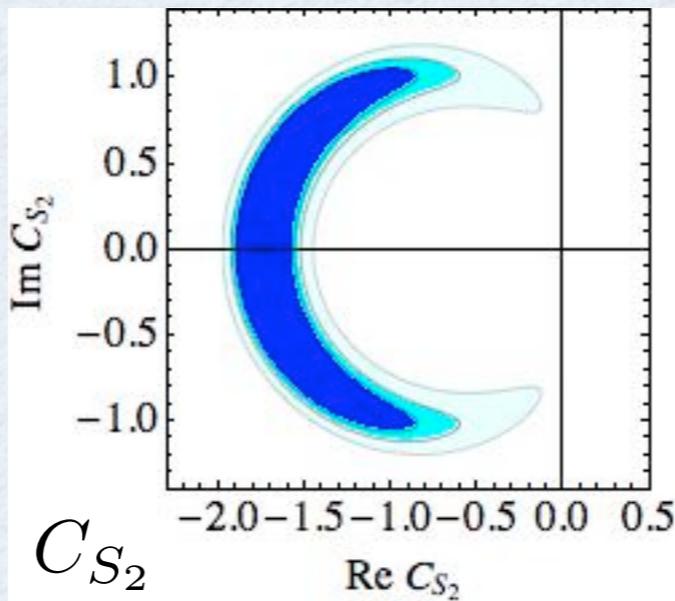
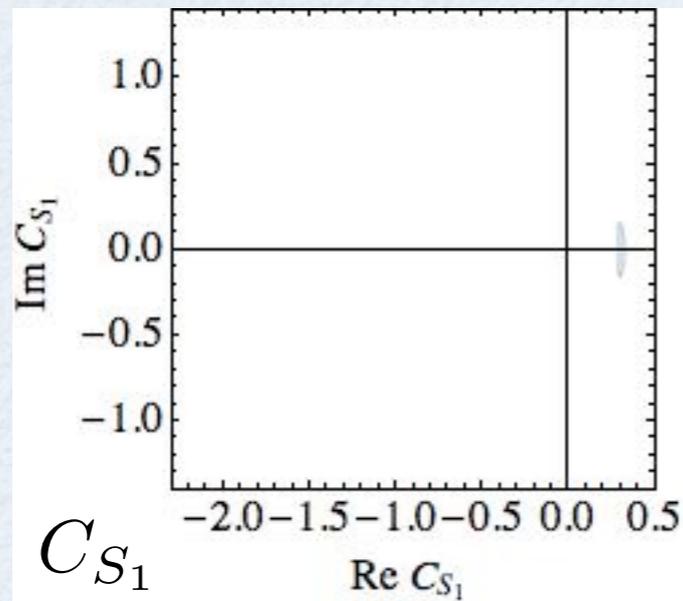
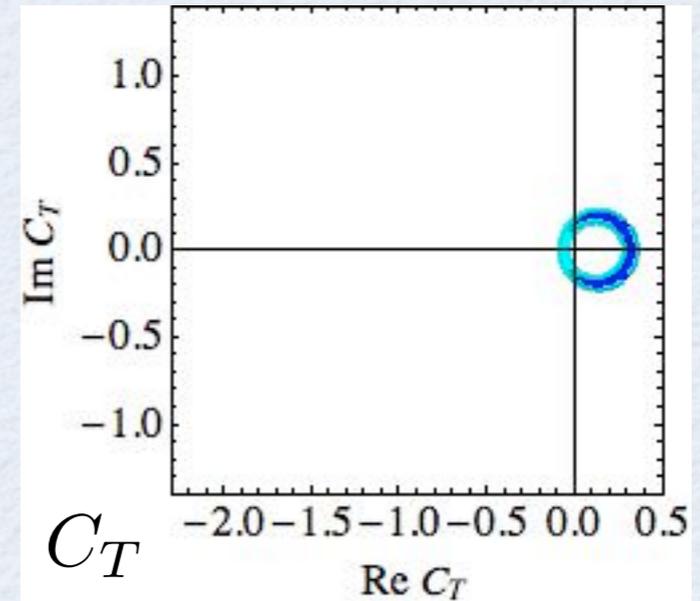
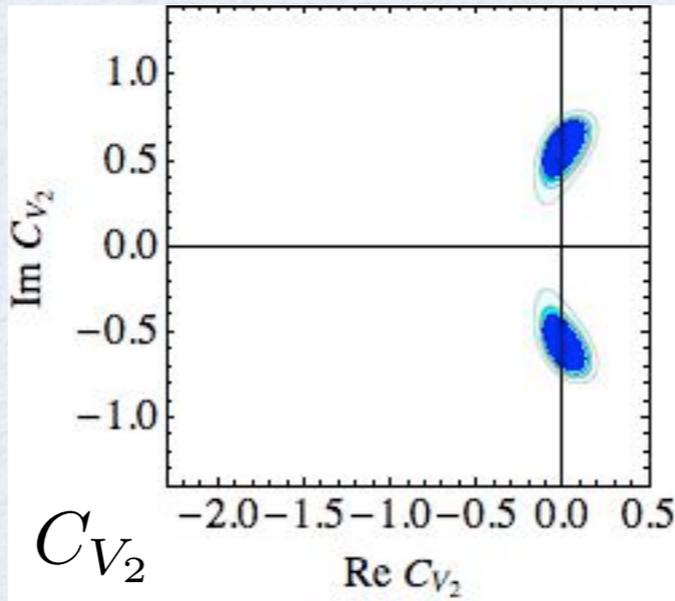
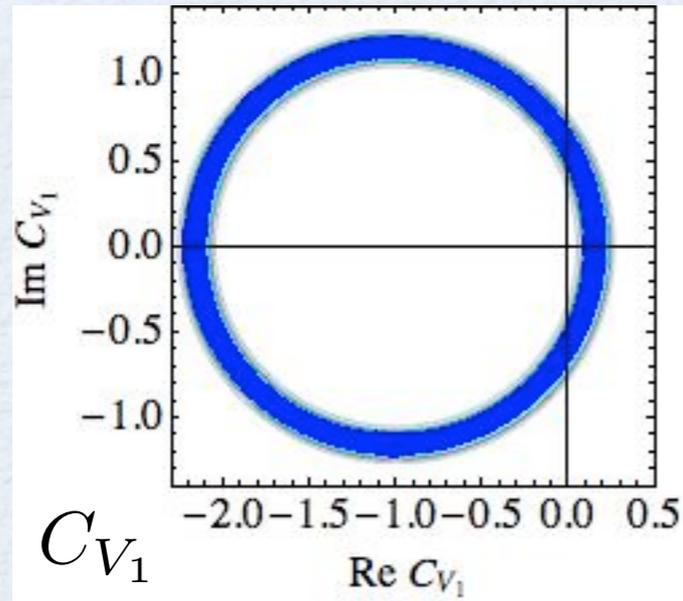
#. TypeII-2HDM (red line):

$$C_{S_1} = -\frac{m_b m_\tau}{m_{H^\pm}^2} \tan^2 \beta$$

can never explain the result

# Bound on NP from R(D)&R(D\*)

The others:



- #.  $V_1, V_2, T$  can explain within small  $C_x$
- #.  $S_2$  can explain but large  $C_{S_2}(\sim -1.6)$  is needed
- #.  $S_1$  is not preferred

# Tau polarization

- Tau has rich features compared with light leptons.  
Its helicity can vary depending on the type of the interaction.

#. Tau polarization on  $B \rightarrow D\tau\nu$  in SM:  $P_\tau = \frac{\Gamma^+ - \Gamma^-}{\Gamma^+ + \Gamma^-} \simeq 0.325$

#. NP can influence the tau helicity in  $B \rightarrow D(^*)\tau\nu$

#.  $P_\tau$  is measurable without knowing  $\tau$  momentum

& we estimated expected error  $\delta P_\tau \sim 0.04$  at super KEKB

M.Tanaka & RW (2010)

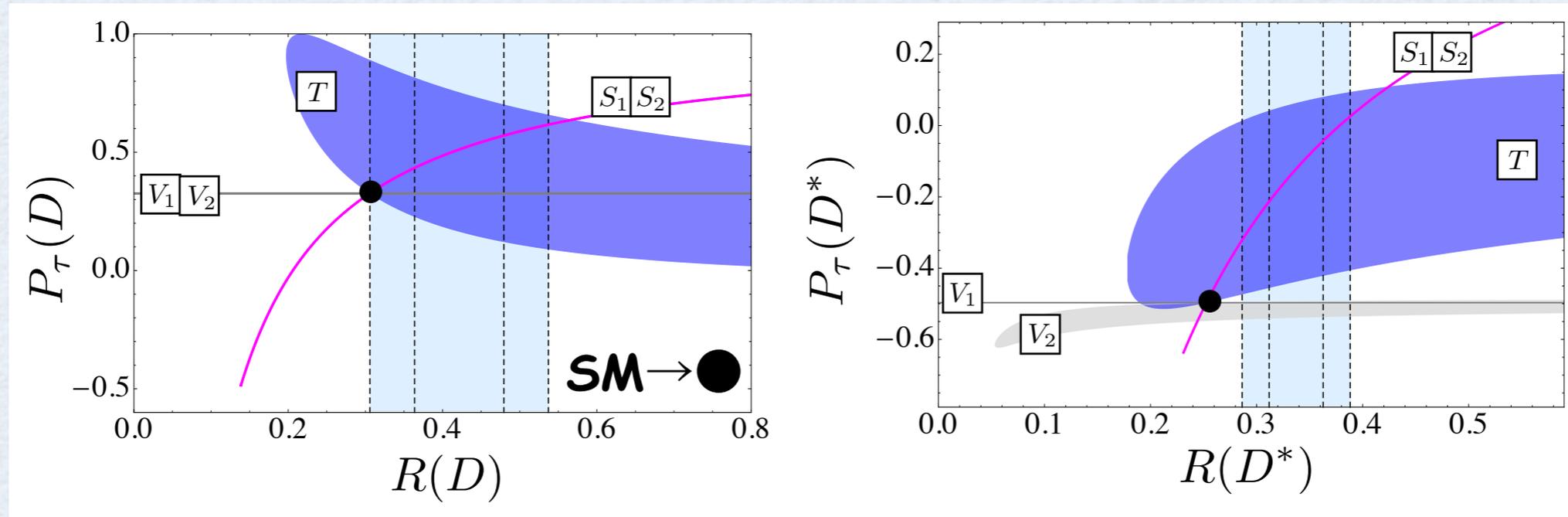
- We define them as

$$P_\tau(D) = \frac{\Gamma^+(D) - \Gamma^-(D)}{\Gamma^+(D) + \Gamma^-(D)} \quad P_\tau(D^*) = \frac{\Gamma^+(D^*) - \Gamma^-(D^*)}{\Gamma^+(D^*) + \Gamma^-(D^*)}$$

$\Gamma^\pm(D)$  is decay rate of  $B \rightarrow D\tau\nu$  with tau helicity to be  $\pm \frac{1}{2}$

# Tau polarization

## Correlation of $R(D)$ & $P_\tau$ :



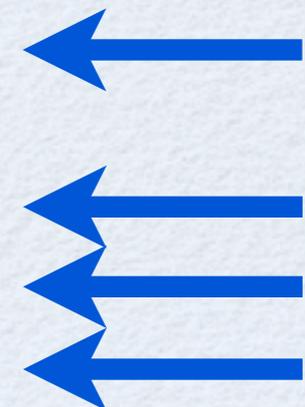
#.  $P_\tau$  &  $R$  are correlated

#. Nontrivial strong correlation for  $S_{1,2}$  due to spin conservation

## How to distinguish NP:

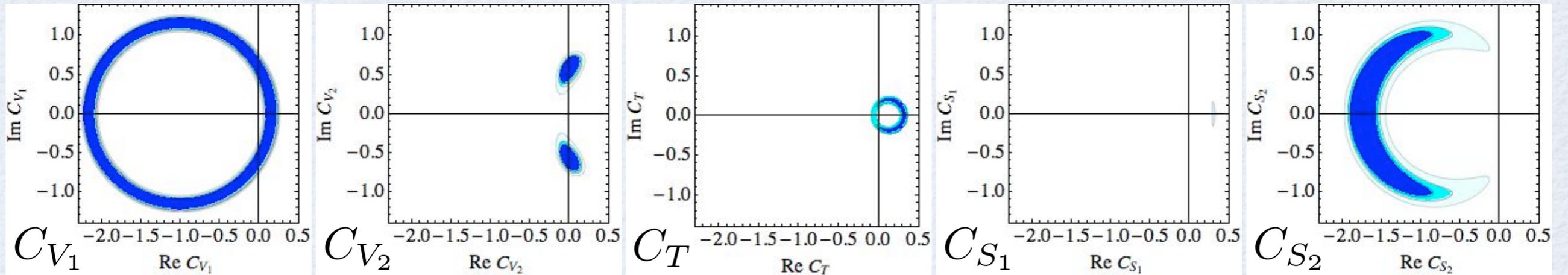
#. If  $R(D)$  &  $R(D^*)$  are precisely measured, we can **predict  $P_\tau$**  in each NP case

$(R(D), R(D^*))$	$(0.37, 0.28)$		
X	$S_2$	$V_2$	T
$C_X$	$-0.81 \pm i 0.87$	$0.03 \pm i 0.40$	$0.16 \pm i 0.14$
$P_\tau(D)$	0.44	0.33	0.22
$P_\tau(D^*)$	-0.35	-0.50	-0.26



# Phenomenology: summary

Constraint on  $C_x$ :

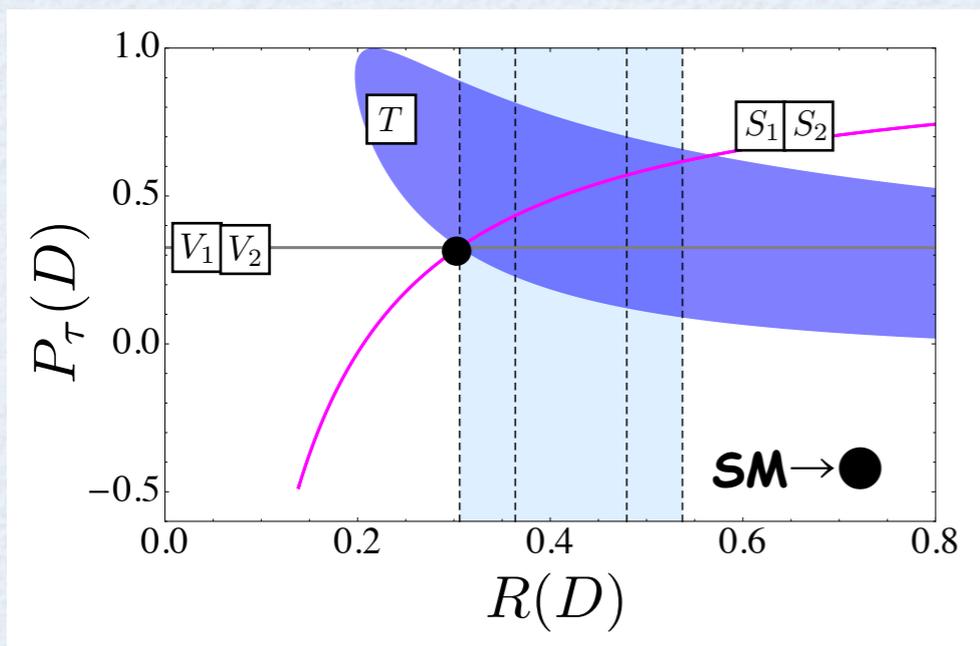


#.  $V_1, V_2, T$  can explain within small  $C_x$

#.  $S_2$  can explain but large  $C_x$  is needed

#.  $S_1$  is not favored

Correlation of observables:



#. Measuring a lot of observables, and investigating their correlations, we can identify & distinguish NP couplings

# Theoretical status: NP models

## To consider NP model

- When we consider NP model, the type of interaction is specified

#. 2 Higgs Doublet Model:  $V_1$   $V_2$   $S_1$   $S_2$   $T$

#. R Parity Violation:  $V_1$   $V_2$   $S_1$   $S_2$   $T$

#. Lepto Quark:  $V_1$   $V_2$   $S_1$   $S_2$   $T$

- The other phenomenology could be correlated to  $B \rightarrow D^{(*)} \tau \nu$ .

#. 2HDM:  $\tan\beta$ ,  $B \rightarrow \tau \nu$

#. 2HDM with FCNC:  $t \rightarrow ch$

#. RPV & LQ:  $B \rightarrow X_s \nu \nu$  (partly)

# 2HDM

## Yukawa in 2HDM:

- In order to forbid tree level FCNC, one of the Higgs doublets must be coupled to the fermion doublet in each Yukawa term.

$$\mathcal{L}_{\text{yukawa}} = -\bar{Q}_L Y_u \tilde{H}_u u_R - \bar{Q}_L Y_d H_d d_R - \bar{L}_L Y_\ell H_\ell \ell_R + \text{h.c.}$$



## Distinct types:

- There are 4 distinct types for the Yukawa sector

**Type I** :  $H_2 = H_u = H_d = H_\ell$

**Type II** :  $H_2 = H_u,$   $H_1 = H_d = H_\ell$

**Type X** :  $H_2 = H_u = H_d,$   $H_1 = H_\ell$

**Type Y** :  $H_2 = H_u = H_\ell,$   $H_1 = H_d$

named by Aoki, Kanemura, Tsumura, Yagyu(2009)

# 2HDM

Effective Lagrangian:

$$\mathcal{L}_{\text{eff}} = -2\sqrt{2}G_F V_{cb} \left( \bar{c}_L \gamma^\mu b_L \bar{\tau}_L \gamma_\mu \nu_L + C_{S_1} \bar{c}_L b_R \bar{\tau}_R \nu_L + C_{S_2} \bar{c}_R b_L \bar{\tau}_R \nu_L \right)$$

Wilson coefficient:

$$C_{S_1} = -\frac{m_b m_\tau}{m_{H^\pm}^2} \xi_1 \quad C_{S_2} = -\frac{m_c m_\tau}{m_{H^\pm}^2} \xi_2$$

#.  $\xi$  depends on the type:

	Type I	Type II	Type X	Type Y
$\xi_1$	$\cot^2 \beta$	$\tan^2 \beta$	-1	-1
$\xi_2$	$-\cot^2 \beta$	1	1	$-\cot^2 \beta$

Bound on 2HDM:

#. S1 is not favored according to model independent analysis

#. Best fit  $C_{S_2} \sim -1.6$ , then,

Type I & Y are unlikely, because they cannot have negative  $C_{S_2}$

Type II & X are disfavored, because  $\xi_2 = 1$ ,  $m_{H^\pm} \sim \mathcal{O}(1) \text{ GeV}$

# 2HDM with tree level FCNC

- “Usual” 2HDM cannot explain the result of R(D)&R(D\*).

But, “S2 enhancement” can be realized, if we allow FCNC

A.Crivellin, C.Greub & A.Kokulu (2012)

**ex.)** 
$$\mathcal{L}_{\text{yukawa}} = -\bar{Q}_L Y_u \tilde{H}_2 u_R - \bar{Q}_L Y_d H_1 d_R - \bar{L}_L Y_\ell H_1 \ell_R + \text{h.c.}$$

$$- \bar{Q}_L \epsilon'_u \tilde{H}_1 u_R - \bar{Q}_L \epsilon'_d H_2 d_R + \text{h.c.}$$

#.  $\epsilon'$  is coupling that control FCNC in the weak basis

#. Constraint on FCNC in up-quark sector  $\epsilon'_u$  is rather weak

- In terms of mass basis ( $\epsilon' \rightarrow \epsilon$ ), we can have following term, which contribute as S2 type:

$$\mathcal{L}_{qq'H^\pm} = -\sin \beta \bar{u}_R \epsilon'_u{}^\dagger V_{\text{CKM}} d_L H^\pm$$

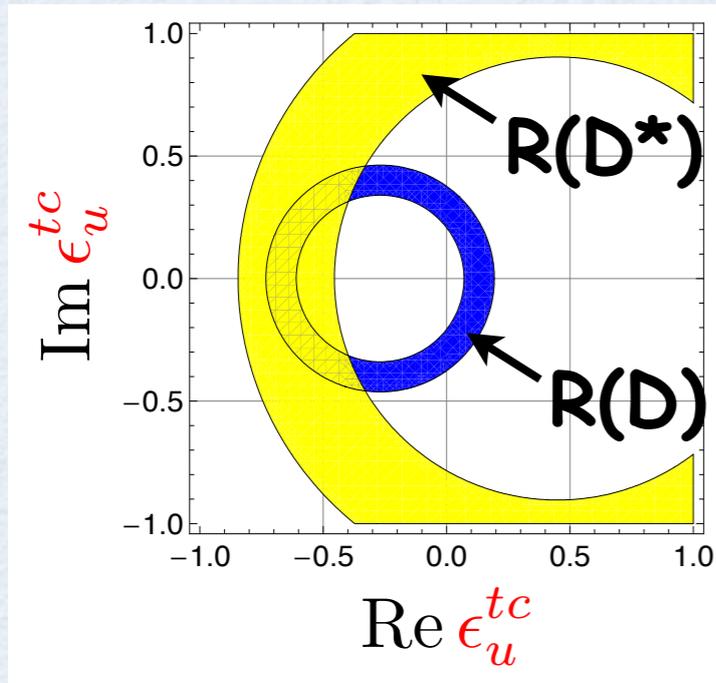


$$C_{S_2} \simeq \frac{V_{tb}}{\sqrt{2}V_{cb}} \frac{vm_\tau}{m_{H^\pm}^2} (\epsilon_u^*)^{tc} \sin \beta \tan \beta$$

$$\begin{aligned} \#. (\epsilon_u^\dagger V_{\text{CKM}})^{cb} &= \sum_q (\epsilon_u^\dagger)^{cq} V_{qb} \\ &\simeq (\epsilon_u^*)^{tc} V_{tb} \end{aligned}$$

# 2HDM with tree level FCNC

Allowed region of coupling:



A.Crivellin, C.Greub & A.Kokulu (2012)

#. with fixed value:  $m_{H^\pm} = 500\text{GeV}$ ,  $\tan\beta = 50$

#. the best fit value:  $\epsilon_u^{tc} \sim -0.7$

#.  $\epsilon_u^{tc}$  induces top quark FCNC decay,  $t \rightarrow ch$

$$\begin{aligned}\text{Br}(t \rightarrow ch) &\simeq 0.12 \times |\epsilon_u^{tc}|^2 \cos^2(\alpha - \beta) \\ &\simeq 0.06 \times \cos^2(\alpha - \beta)\end{aligned}$$

Top quark FCNC decay:

#. There are several constraints on  $t \rightarrow ch$ :

$$\text{Br}(t \rightarrow ch) < 2.7 \times 10^{-2} \quad \text{from multi-lepton analysis, CMS(2012)}$$

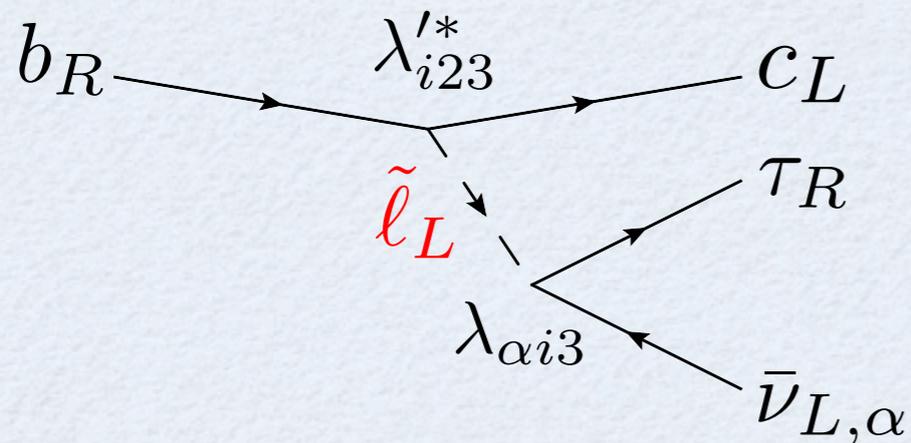
$$\text{Br}(t \rightarrow ch) < 2.5 \times 10^{-3} \quad \text{from Z measurement, F.Larios et.al.(2004)}$$

#. Observed limit at 14TeV LHC:

$$\text{Br}(t \rightarrow ch) < 4.1 \times 10^{-5} \quad \text{with 14TeV, } 100\text{fb}^{-1}$$

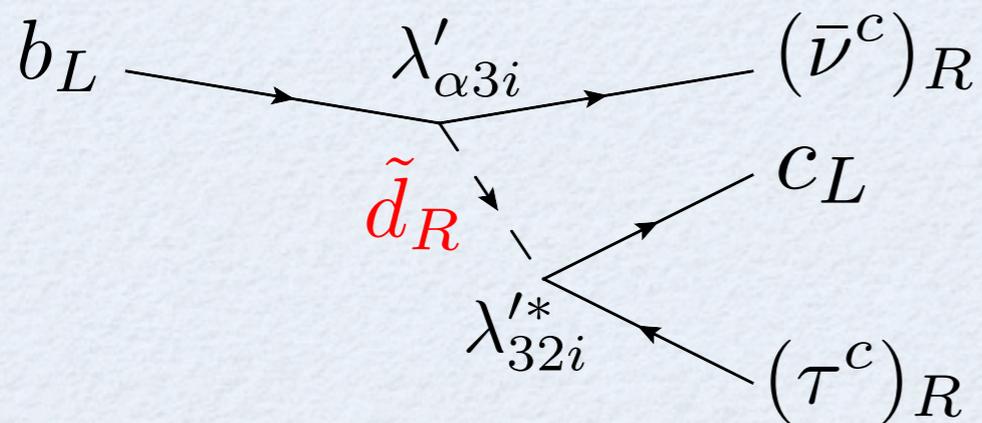
# RPV

**Superpotential:**  $W_{\text{RPV}} = \frac{1}{2} \lambda_{ijk} L_i L_j E_k^c + \lambda'_{ijk} L_i Q_j D_k^c$



#. correspond to S1,  
then this is disfavored

$$2\sqrt{2}G_F V_{cb} C_{S_1} = \sum_{j=1}^3 \frac{\lambda_{3j3} \lambda'_{j23}}{2m_{\tilde{l}_L^j}{}^2}$$



#. correspond to V1,  
likely to explain the results,  
but incompatible with  $B \rightarrow X_s \nu \bar{\nu}$ .

$$2\sqrt{2}G_F V_{cb} C_{V_1} = - \sum_{j=1}^3 \frac{\lambda'_{33j} \lambda'_{32j}}{16m_{\tilde{d}_R^j}{}^2}$$

$$\mathcal{B}(B \rightarrow X_s \nu \bar{\nu}) < 6.4 \times 10^{-4}$$

# LQ



- LQs are particles, carrying both baryon & lepton number. Thus, they couple to quark-lepton pair.
- LQ particles are expected to exist in various NP models; ex) SU(5)-GUT, SO(10)-GUT, composite models, and so on.

## #. Mass bounds on LQs from LHC

**Scalar LQ:**  $M_{\text{SLQ}_3} \gtrsim 530\text{GeV}$  ATLAS & CMS (2013)

**Vector LQ:**  $M_{\text{VLQ}_3} \gtrsim 760\text{GeV}$  CMS (2012)

## #. Lagrangian relevant for $b \rightarrow c\tau\nu$ , with general dimensionless SU(3)×SU(2)×U(1) invariant couplings of scalar & vector LQs:

$$\mathcal{L}_{F=0}^{\text{LQ}} = (h_{1L}^{ij} \bar{Q}_{iL} \gamma^\mu L_{jL} + h_{1R}^{ij} \bar{d}_{iR} \gamma^\mu \ell_{jR}) U_{1\mu} + h_{3L}^{ij} \bar{Q}_{iL} \boldsymbol{\sigma} \gamma^\mu L_{jL} \mathbf{U}_{3\mu} \\ + (h_{2L}^{ij} \bar{u}_{iR} L_{jL} + h_{2R}^{ij} \bar{Q}_{iL} i\sigma_2 \ell_{jR}) R_2,$$

$$\mathcal{L}_{F=-2}^{\text{LQ}} = (g_{1L}^{ij} \bar{Q}_{iL}^c i\sigma_2 L_{jL} + g_{1R}^{ij} \bar{u}_{iR}^c \ell_{jR}) S_1 + g_{3L}^{ij} \bar{Q}_{iL}^c i\sigma_2 \boldsymbol{\sigma} L_{jL} \mathbf{S}_3 \\ + (g_{2L}^{ij} \bar{d}_{iR}^c \gamma^\mu L_{jL} + g_{2R}^{ij} \bar{Q}_{iL}^c \gamma^\mu \ell_{jR}) V_{2\mu},$$

S,R: scalar LQ  
U,V: vector LQ

# LQ

Classification of interaction: **4 independent types generated**

#. **Scalar1**: disfavored according to model indep. analysis

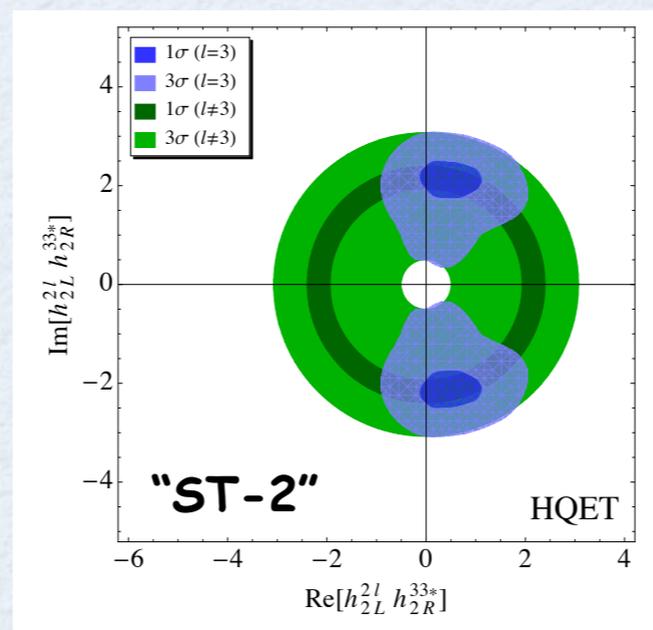
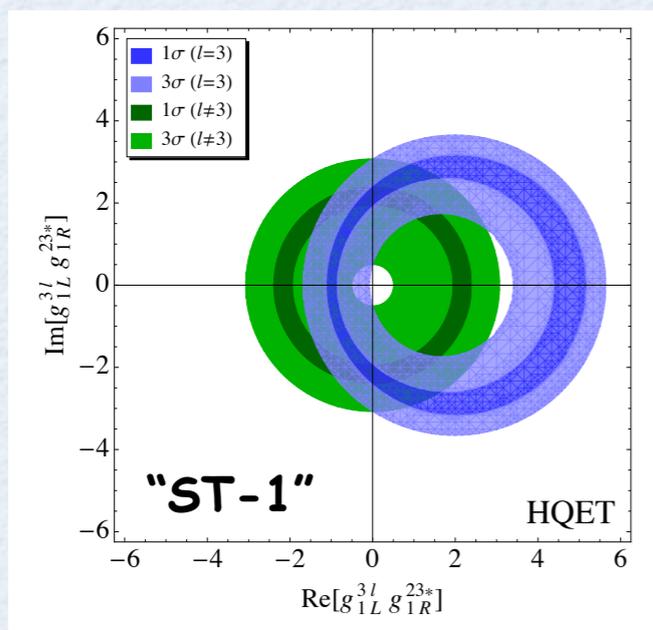
#. **Vector1**: incompatible with  $B \rightarrow X_s \nu \nu$ , as well as RPV

#. **Scalar2-Tensor**: both  $C_{S_2}$  &  $C_T$  appear at the same time

$$\text{"ST-1"} \quad C_{S_2}^\ell = 4C_T^\ell = \frac{1}{2\sqrt{2}G_F V_{cb}} \sum_{k=1}^3 \frac{-V_{k3} h_{2L}^{2\ell} h_{2R}^{k3*}}{2M_{R_2}^2} \quad (\mu = M_{LQ})$$

$$\text{"ST-2"} \quad C_{S_2}^\ell = -4C_T^\ell = \frac{1}{2\sqrt{2}G_F V_{cb}} \sum_{k=1}^3 \frac{-V_{k3} g_{1L}^{k\ell} g_{1R}^{23*}}{2M_{S_1}^2} \quad (\mu = M_{LQ})$$

Allowed region of LQ couplings (gg & hh) with  $M_{LQ}=1\text{TeV}$ :



#. **O(1) couplings are needed**

#. **Green:  $\nu_{\ell \neq \tau}$  Blue:  $\nu_\tau$**

#. **No other constraint**

# Model analysis: summary

#. **2 Higgs Doublet Model:**  $V_1$   $V_2$   $S_1$   $S_2$   $T$

- Usual 2HDM cannot explain the recent  $R(D)$ & $R(D^*)$
- FCNC induced  $S_2$  can explain them

#. **R Parity Violation:**  $V_1$   $V_2$   $S_1$   $S_2$   $T$

- $S_1$  type is generated, and is disfavored
- $V_1$  type is generated, but it is incompatible with  $B \rightarrow X_s \nu \nu$

#. **Lepto Quark:**  $V_1$   $V_2$   $S_1$   $S_2$   $T$

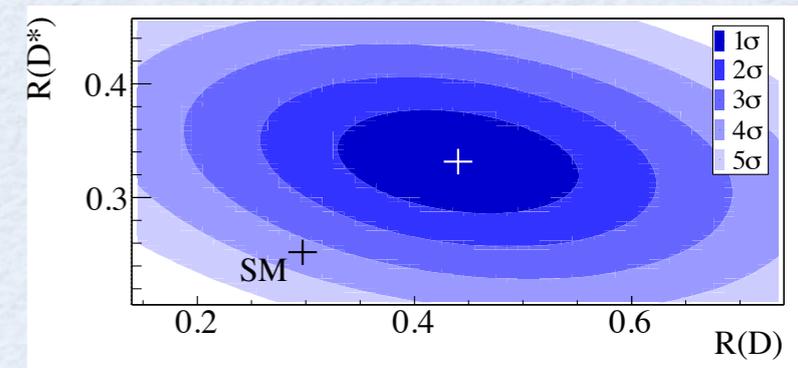
- $S_1$ & $V_1$  type are generated and disfavored as well as RPV
- $S_2$ - $T$  types are generated and likely to explain the results

# Summary

## Experiments

BABAR result: [arXiv:1205.5442](https://arxiv.org/abs/1205.5442)

	Exp. result	SM prediction
$R(D)$	$0.440 \pm 0.058 \pm 0.042$	$0.297 \pm 0.017$
$R(D^*)$	$0.332 \pm 0.024 \pm 0.018$	$0.252 \pm 0.003$



Belle result:

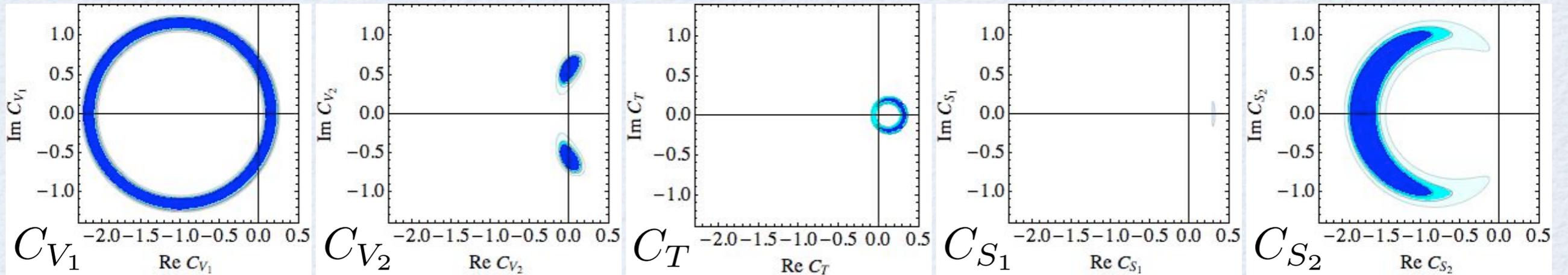
- They did not use full data set yet
- They are now analyzing

Super B factory:

- Large statistics enable us to measure not only total rate, but also some distributions & polarizations

# Phenomenology: summary

Constraint on  $C_x$ :

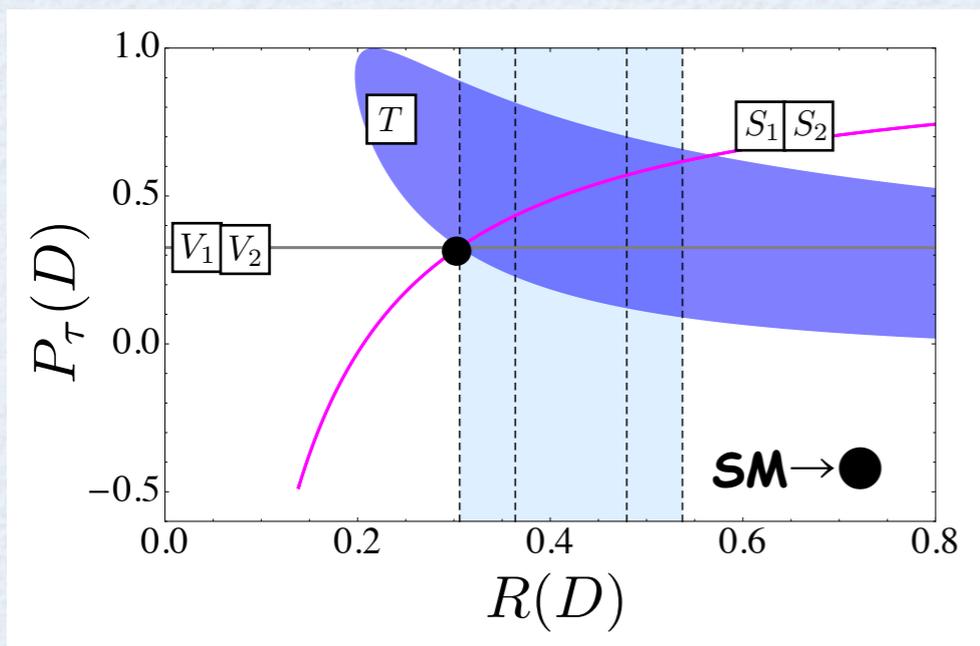


#.  $V_1, V_2, T$  can explain within small  $C_x$

#.  $S_2$  can explain but large  $C_x$  is needed

#.  $S_1$  is not favored

Correlation of observables:



#. Measuring a lot of observables, and investigating their correlations, we can identify & distinguish NP couplings

# Model analysis: summary

#. **2 Higgs Doublet Model:**  $V_1$   $V_2$   $S_1$   $S_2$   $T$

- Usual 2HDM cannot explain the recent  $R(D)$  &  $R(D^*)$
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#. **R Parity Violation:**  $V_1$   $V_2$   $S_1$   $S_2$   $T$

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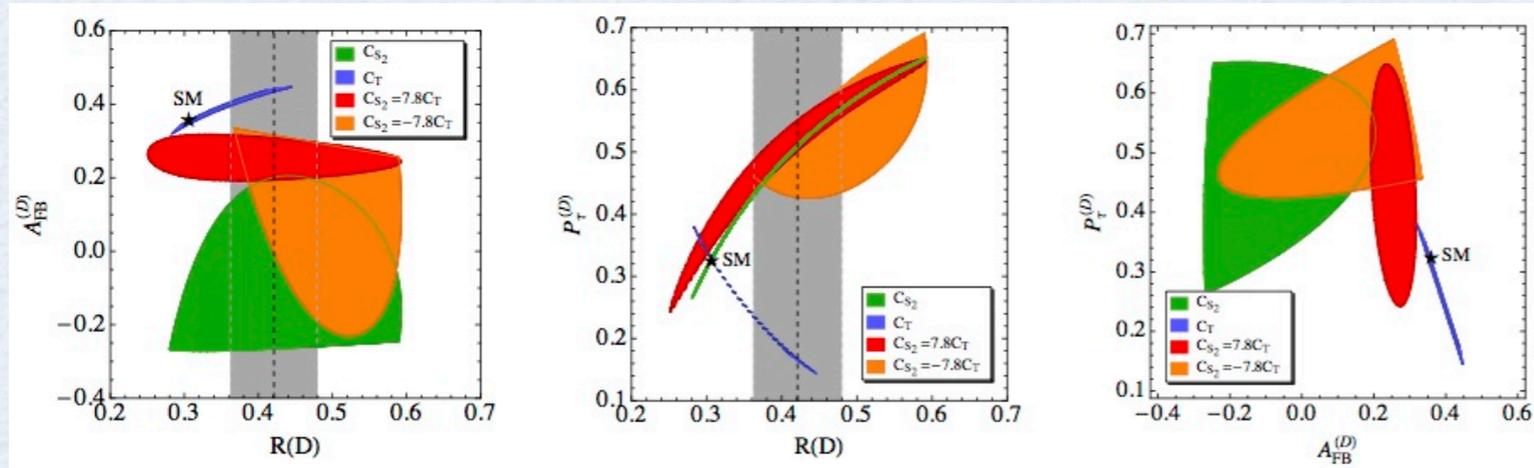
#. **Lepto Quark:**  $V_1$   $V_2$   $S_1$   $S_2$   $T$

- $S_1$  &  $V_1$  type are generated and disfavored as well as RPV
- $S_2$ - $T$  types are generated and likely to explain the results

**Back up**

# Other observables

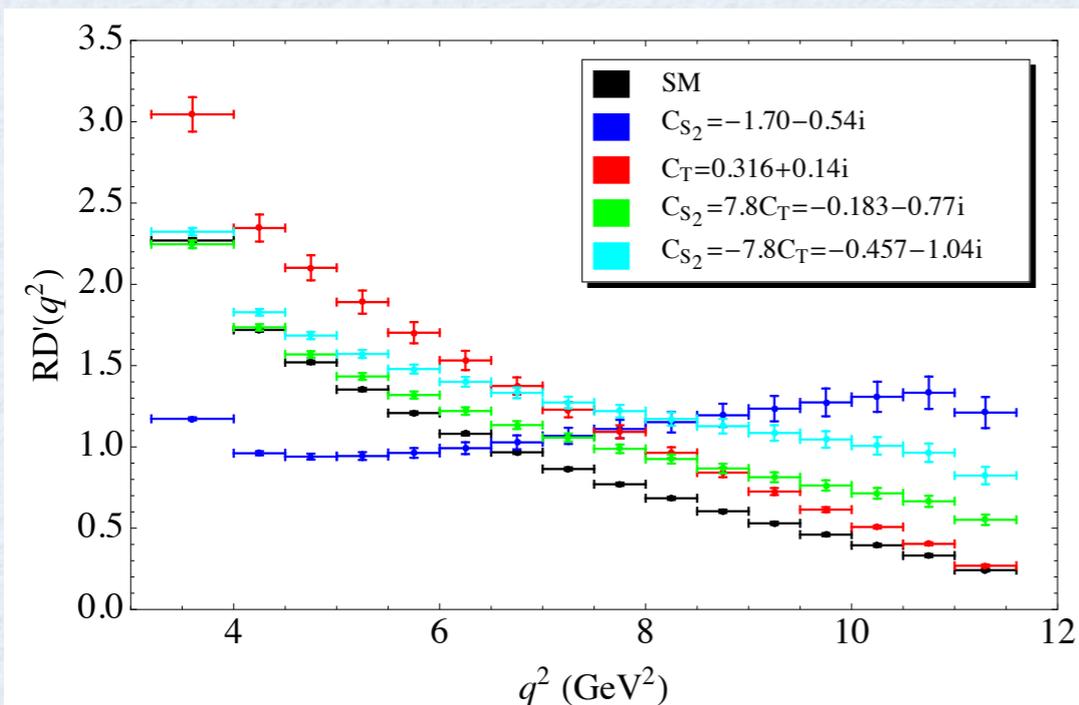
- $D^*$  polarization &  $\tau$  FB-asymmetry are also helpful. Correlations of them are important.



#. Colored range allowed from  $R(D)$  &  $R(D^*)$  within  $3\sigma$

Given by Andrey

- We are now investigating  $q^2$  distribution,  $q^2 = (p_B - p_{D^{(*)}})^2$ , which will be available at super B factory.

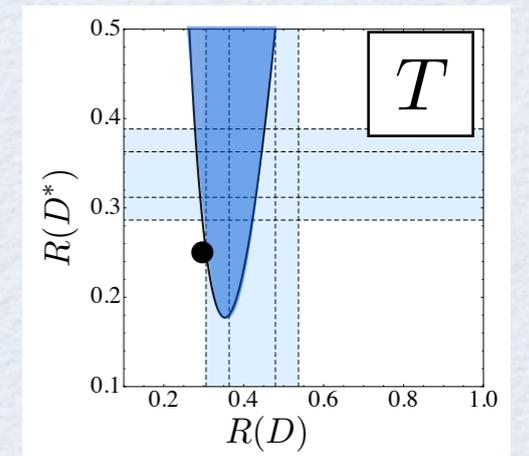
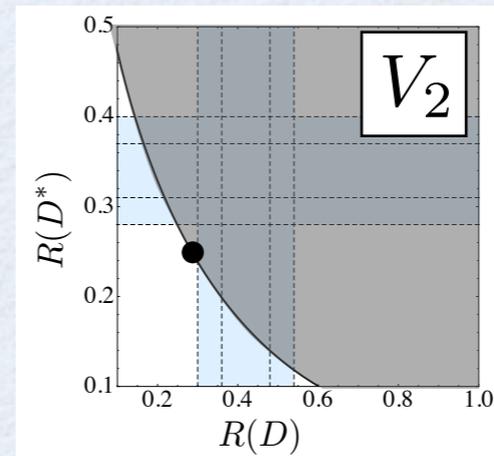
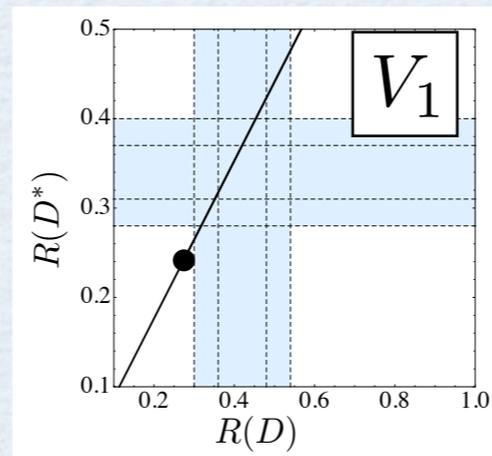
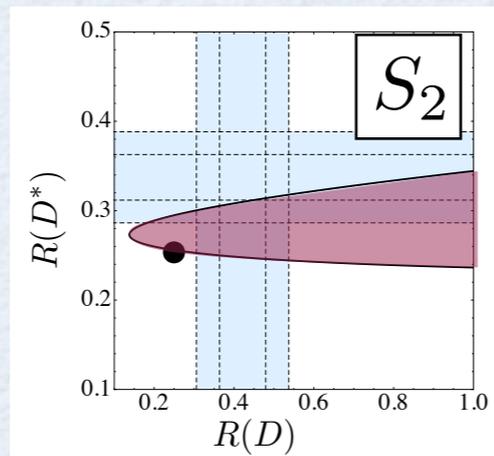
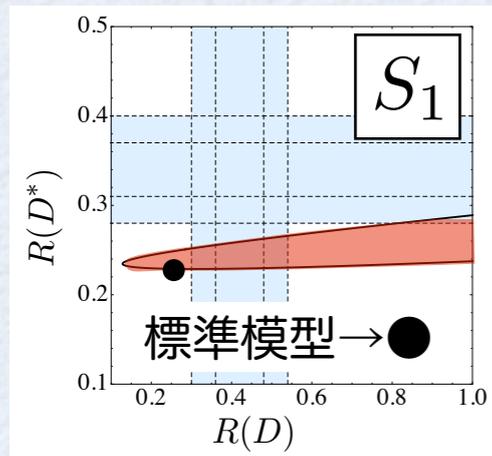


#. Same  $R(D^{(*)})$  but different distribution can happen

- #. We are discussing
  1. ability to distinguish
  2. expected uncertainties

Preliminary

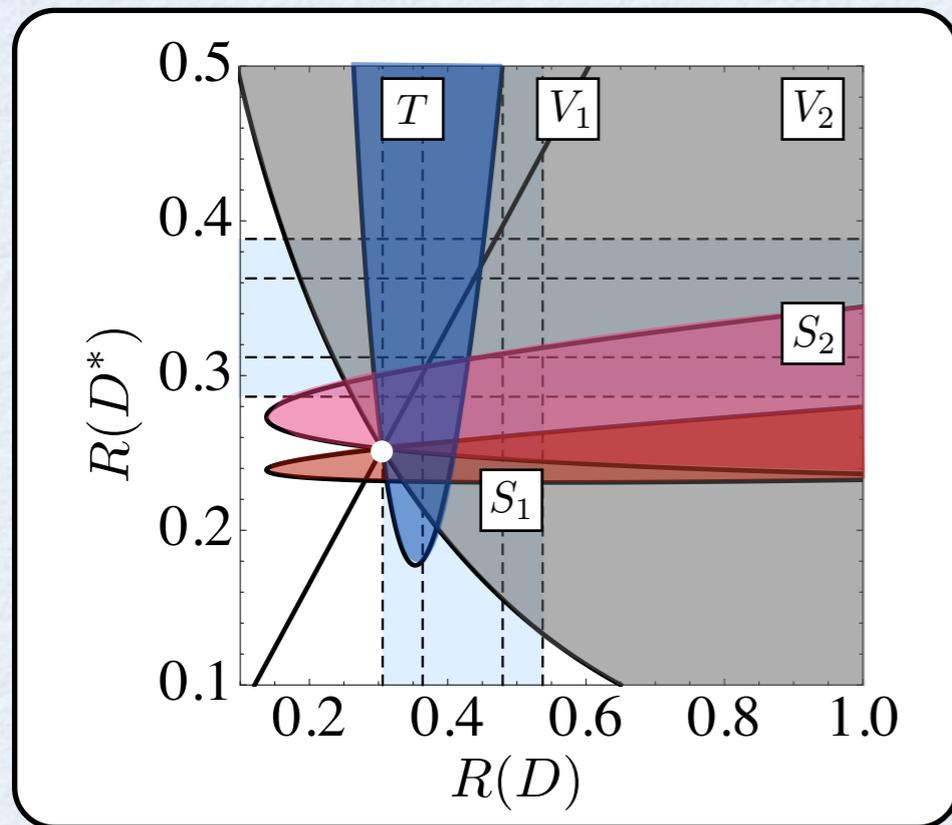
# Correlation of $R(D)$ & $R(D^*)$



Sensitive to  $R(D)$

Same

to  $R(D^*)$



We can distinguish the type in part if we measure them more precisely.

# $|V_{cb}|$ determination

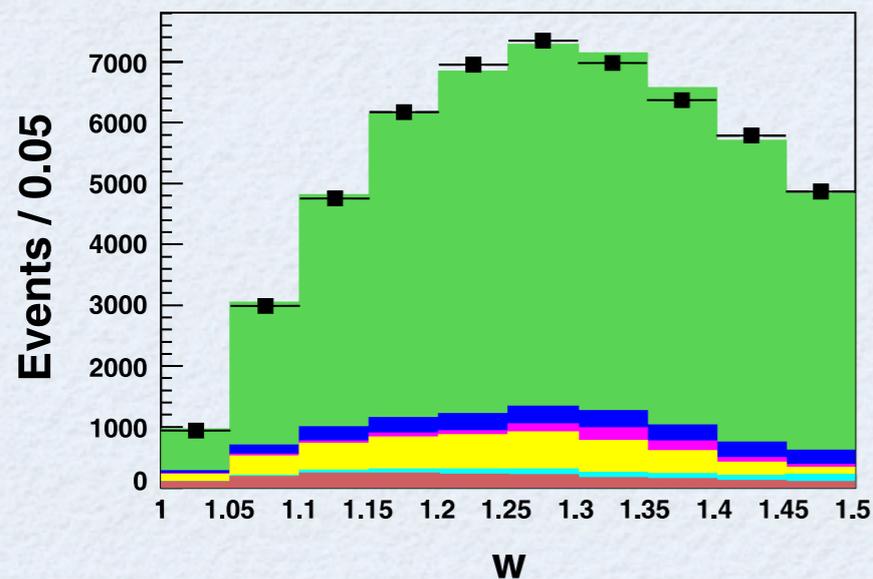
$$\boxed{\bar{B} \rightarrow D\ell\bar{\nu}} \quad \frac{d\Gamma}{dw}(\bar{B} \rightarrow D\ell\bar{\nu}) = \frac{G_F m_B^5}{48\pi^3} r^3 (1+r)^2 (w^2-1)^{3/2} V_1(w)^2 |V_{cb}|^2$$

- Fit the shape (=interaction type) and the height (=coupling)
- Shape is parametrized by HQET

Capriani et.al.(1996)

$$\text{Shape : } V_1(w) = V_1(1) \left[ 1 - 8\rho_1^2 z + (51\rho_1^2 - 10)z^2 - (252\rho_1^2 - 84)z^3 \right]$$

$$\text{Height : } V_1(1)|V_{cb}| \quad \left( z = \frac{\sqrt{w+1} - \sqrt{2}}{\sqrt{w+1} + \sqrt{2}} \right)$$



Fit result:

$$V_1(1)|V_{cb}| = (4.26 \pm 0.07 \pm 0.14) \times 10^{-2}$$

$$\rho_1^2 = 1.186 \pm 0.055$$

# How to measure Tau polarization

$$\frac{d\Gamma}{dq^2 dz} (\bar{B} \rightarrow D\tau\bar{\nu} \rightarrow \dots) = \frac{d\Gamma}{dq^2} (\bar{B} \rightarrow D\tau\bar{\nu}) \times \underline{F(\dots)}$$



$$\begin{aligned} \tau &\rightarrow \pi\nu \\ \tau &\rightarrow l\nu\bar{\nu} \end{aligned}$$

$$q^2 = (p_B - p_D)^2 \quad \text{and} \quad z = \frac{E_{\pi(l)}}{E_\tau} \quad \text{are available}$$

$$\underline{F(\dots)} = Br(\dots) \left[ f(z, q^2) + \boxed{P_\tau(q^2)} g(z, q^2) \right]$$

  
determined from kinematics